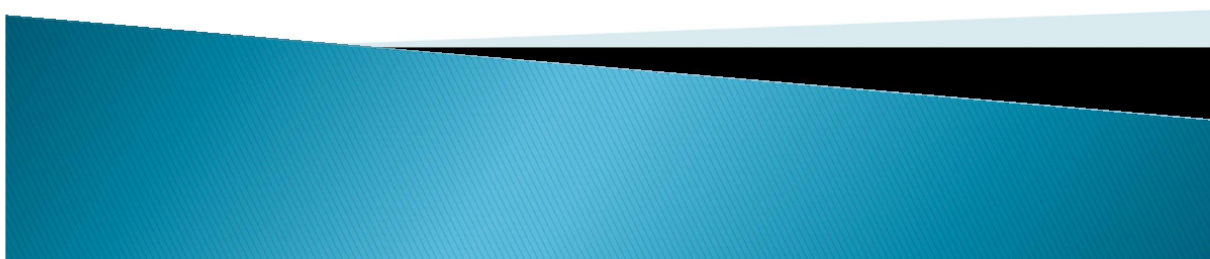
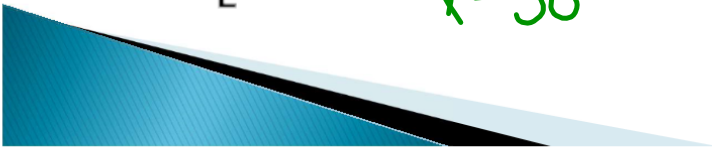
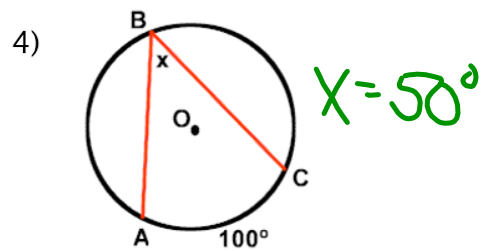
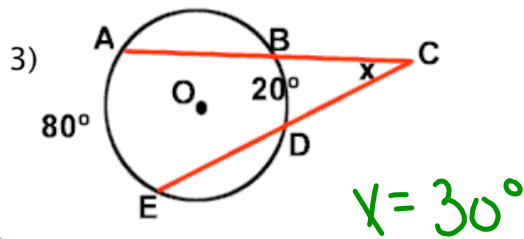
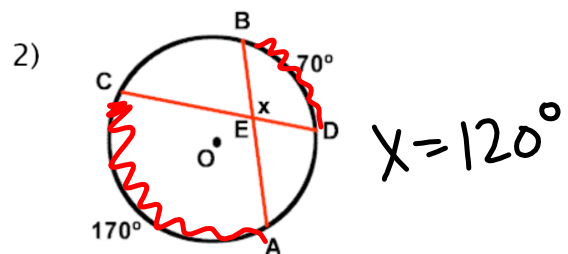
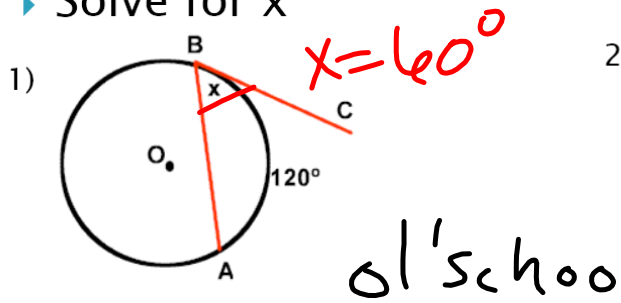


# 10.8: The Power Theorems



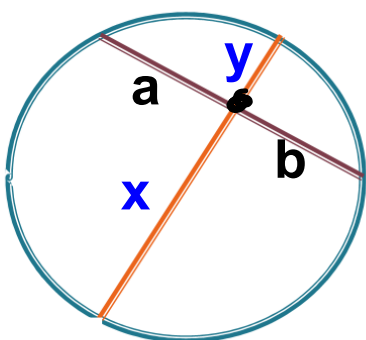
# Starter

► Solve for x



## Chord–Chord Power Theorem

- ▶ Multiply both parts of the chord together. Then set them equal.

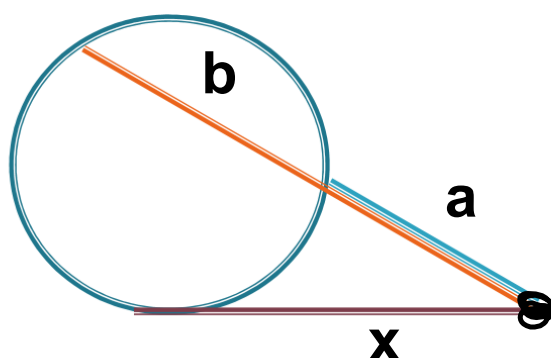


$$ab = xy$$



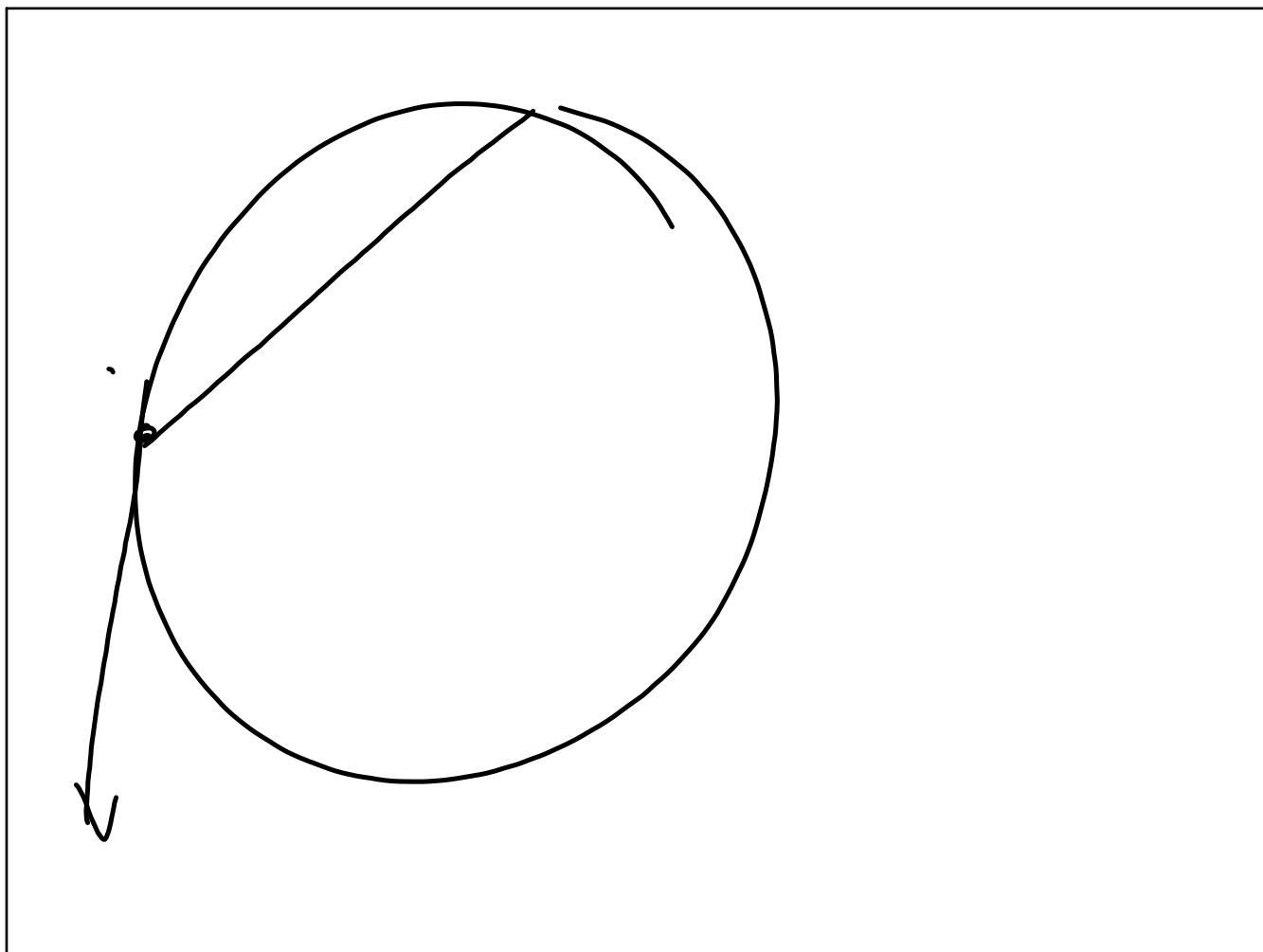
## Secant-Tangent Power Theorem

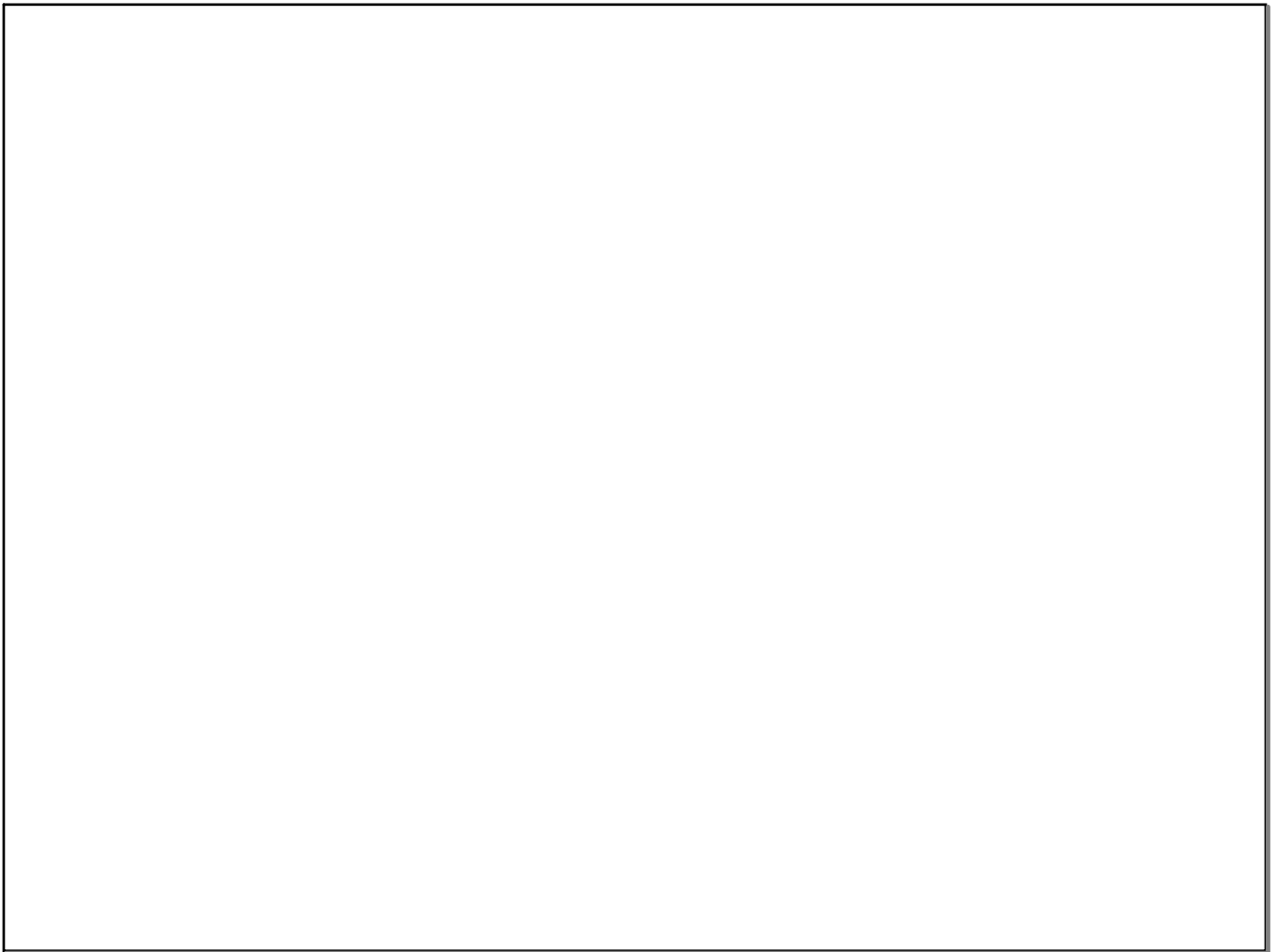
- ▶ Multiply the secant by its external piece and set it equal to the square of the tangent.



$$x^2 = a(a+b)$$

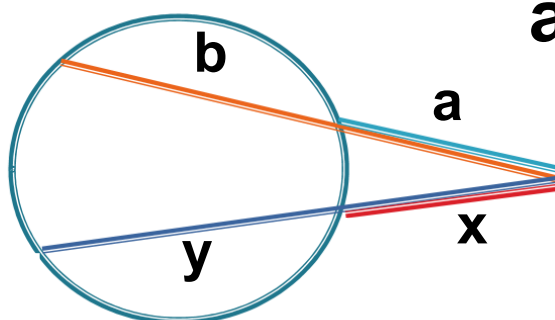
*Entire Seg.*





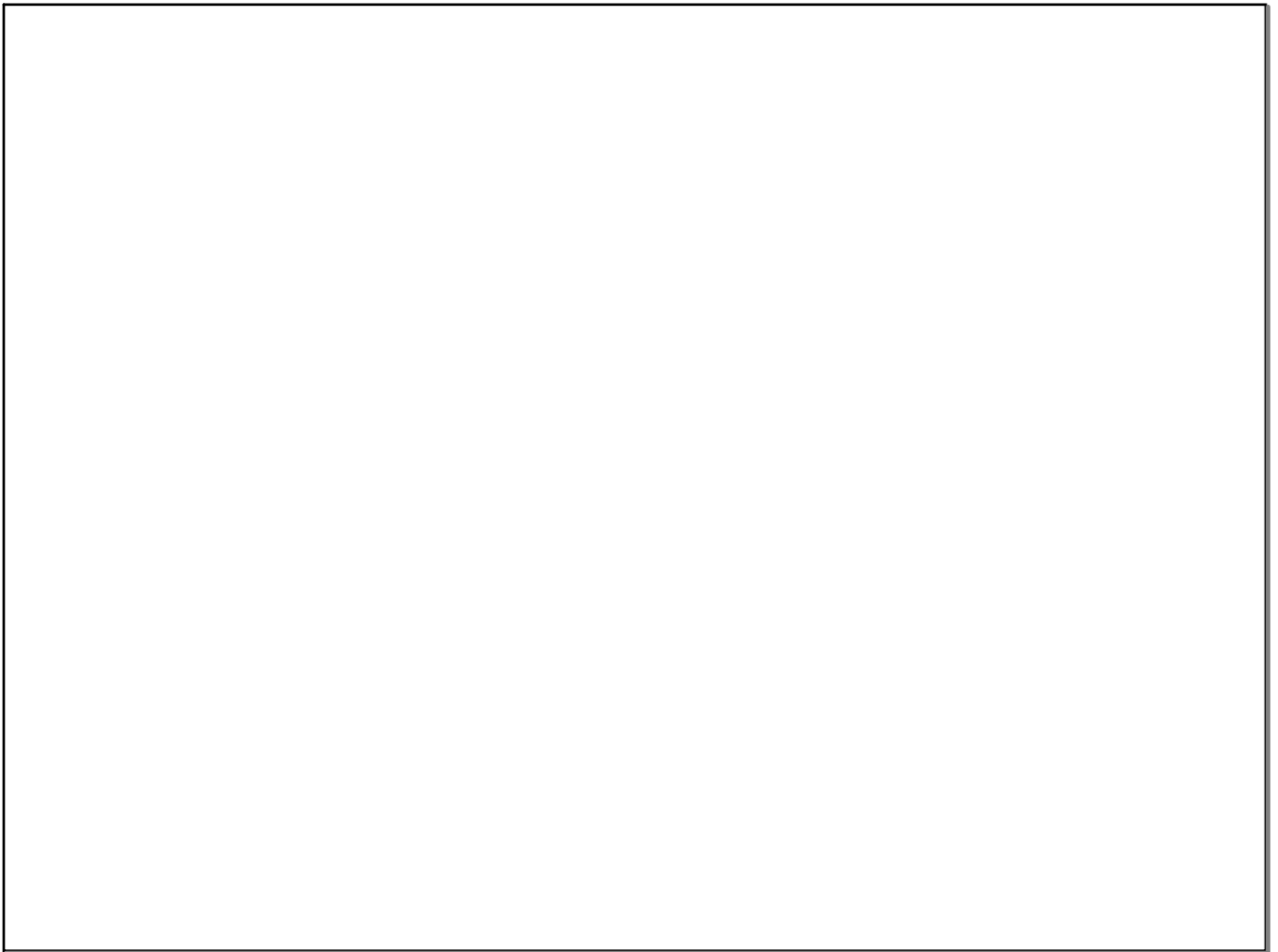
## Secant-Secant Power Theorem

- ▶ Used when two secants intersect
- ▶ Multiply one secant by its external part and set equal to the other secant multiplied by its external part.



$$a(a + b) = x(x + y)$$



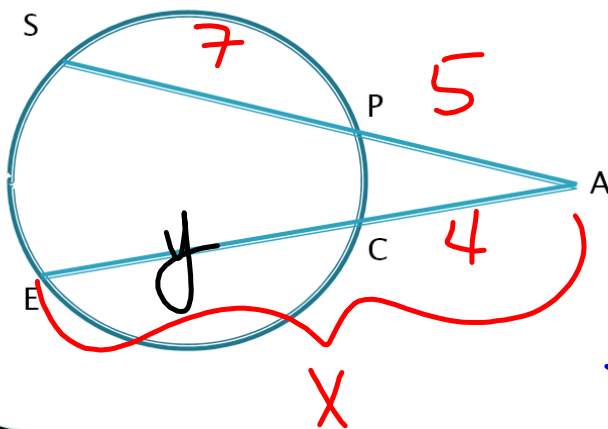




## Example 1

Given:  $PA = 5$ ,  $SP = 7$ ,  $AC = 4$

Find:  $AE = 11 + 4 = 15$



$$a(a+b) = x(x+y)$$

$$5(5+7) = 4(4+y)$$

$$60 = 16 + 4y$$

$$44 = 4y$$

$$y = 11$$

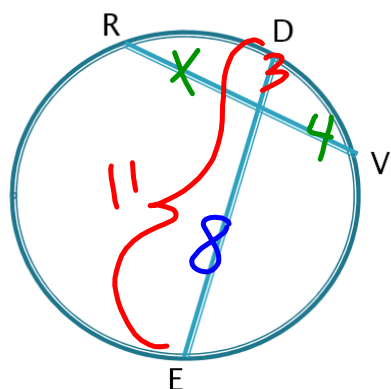
$$5(5+7) = 4(x)$$

$$x = 15$$

## Example 2

Given:  $DE = 11$ ,  $ID = 3$ ,  $VI = 4$

Find:  $IR$



$$4x = 3 \cdot 8$$

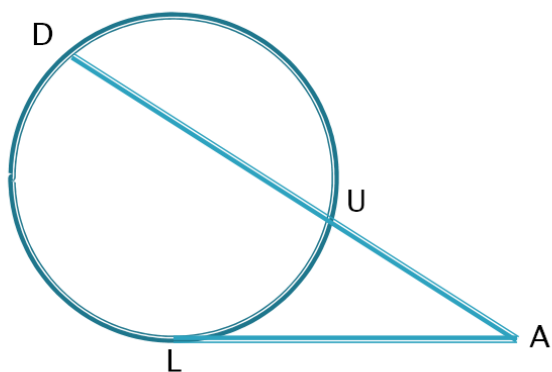
$$4x = 24$$

$$x = 6$$

### Example 3

Given:  $UA = 3$ ,  $DU = 9$

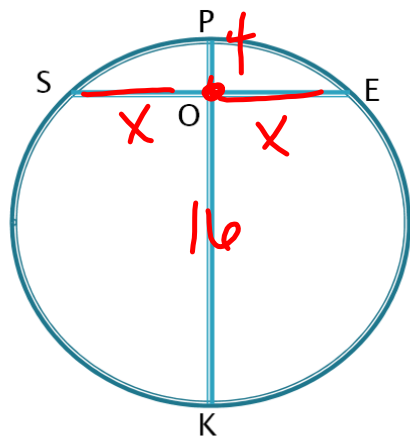
Find:  $AL$



## Example 4

Given:  $PO = 4$ ,  $OK = 16$ ,  $O$  is the mdpt. of  $\overline{SE}$

Find:  $SO$



$$4(16) = x \cdot x$$

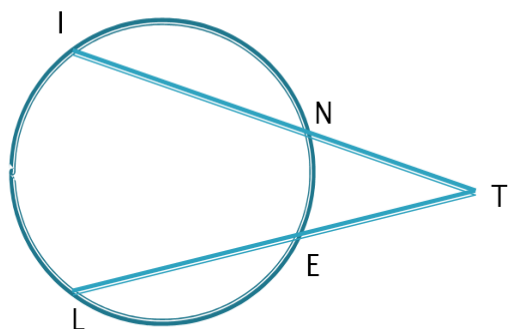
$$\sqrt{64} = \sqrt{x^2}$$

$$8 = x$$

## Example 5

Given:  $TE = 4$ ,  $TL = 10$ ,  $TN = 5$

Find:  $IN$



# Homework

p. 495 ~~10, 11, 16~~

1, 2, 3c, 4c, 5, 9, 11, 16

